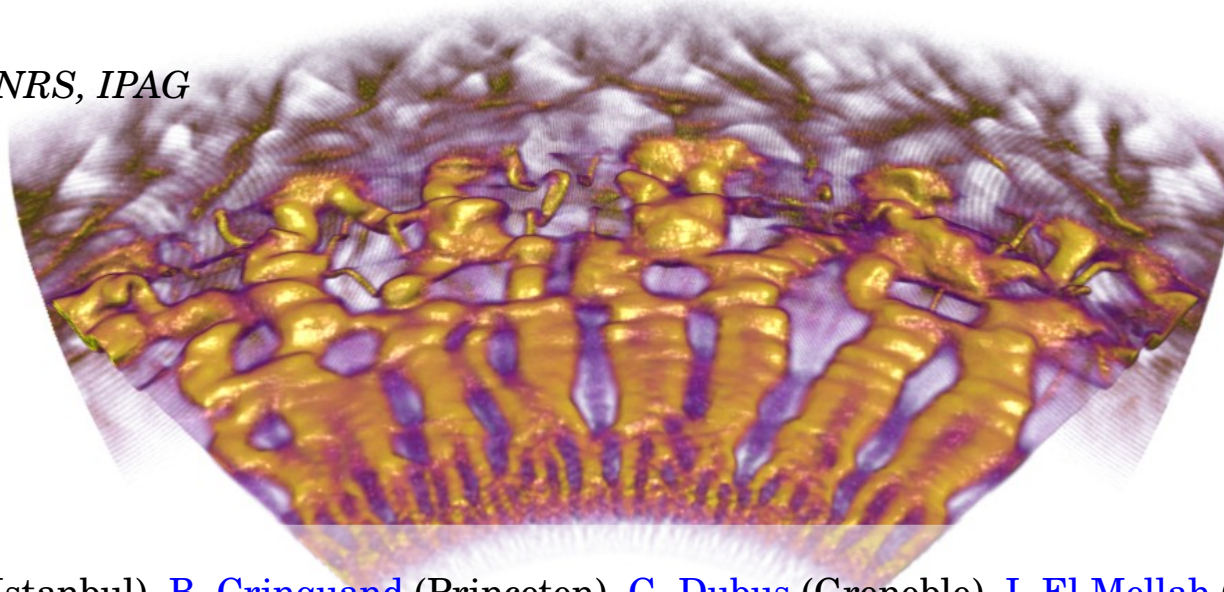


Observable signatures of plasmoid-dominated magnetic reconnection in relativistic astrophysical plasmas

Benoît Cerutti

*Univ. Grenoble Alpes, CNRS, IPAG
France*



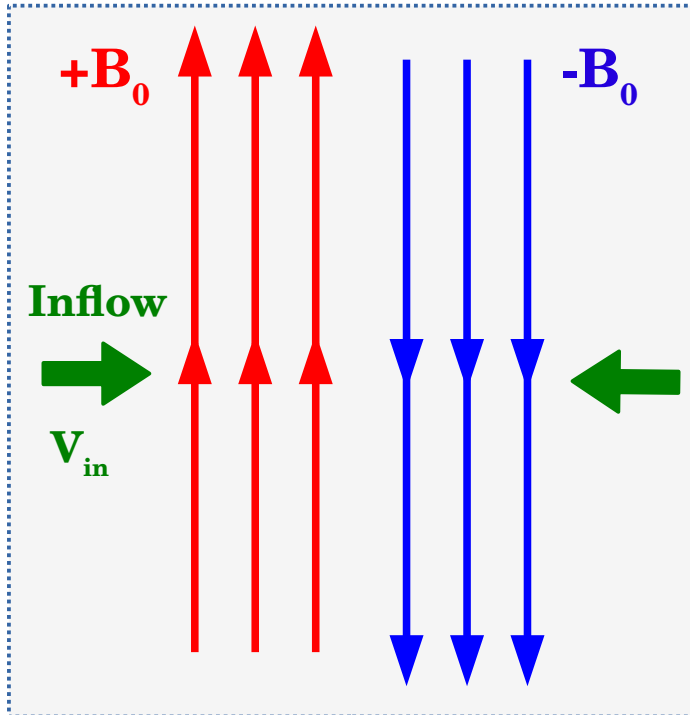
Collaborators :

I. C. Andaç (Grenoble & Istanbul), **B. Crinquand** (Princeton), **G. Dubus** (Grenoble), **I. El Mellah** (Grenoble), **K. Y. Ekşi** (Istanbul), **G. Giacinti** (Heidelberg), **K. Parfrey** (Dublin), **A. Philippov** (Maryland).

SF2A 2022, 7-10 juin, Besançon.

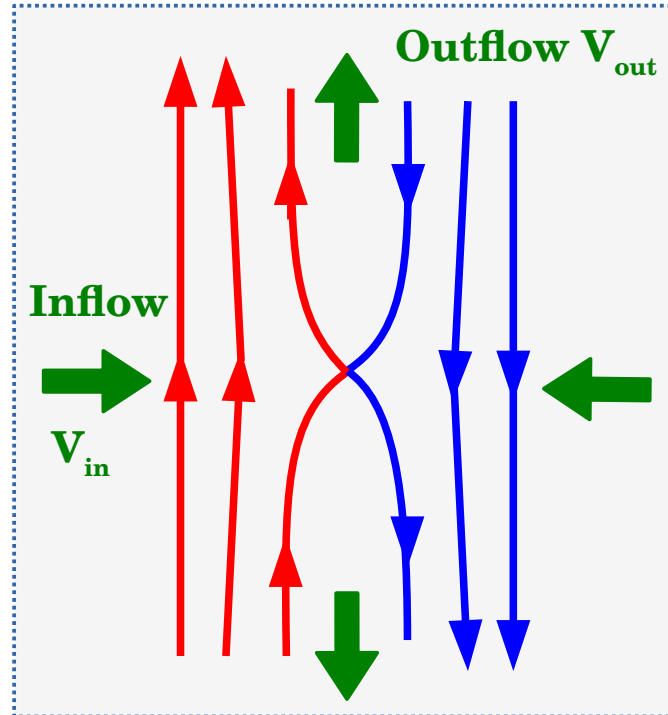
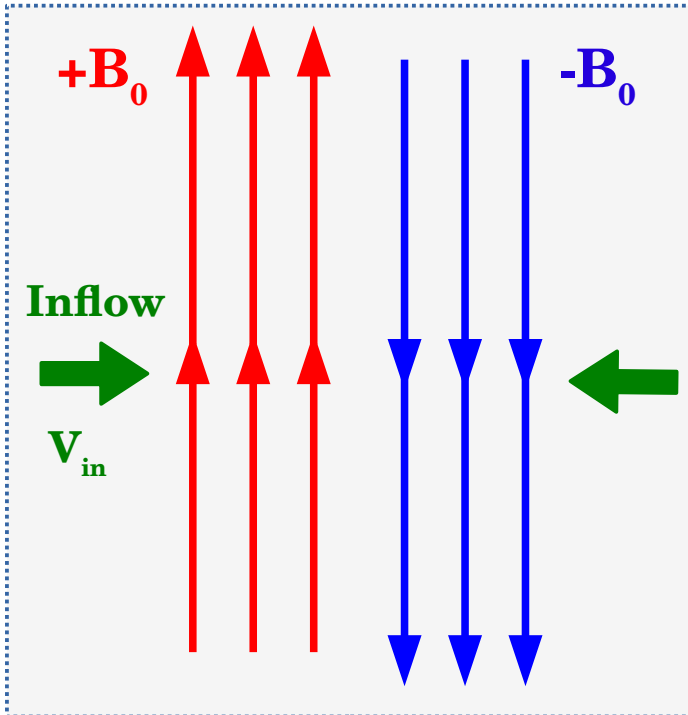
Reconnection : A change of magnetic topology

[See reviews by Zweibel & Yamada, 2009, Kagan et al. 2015]



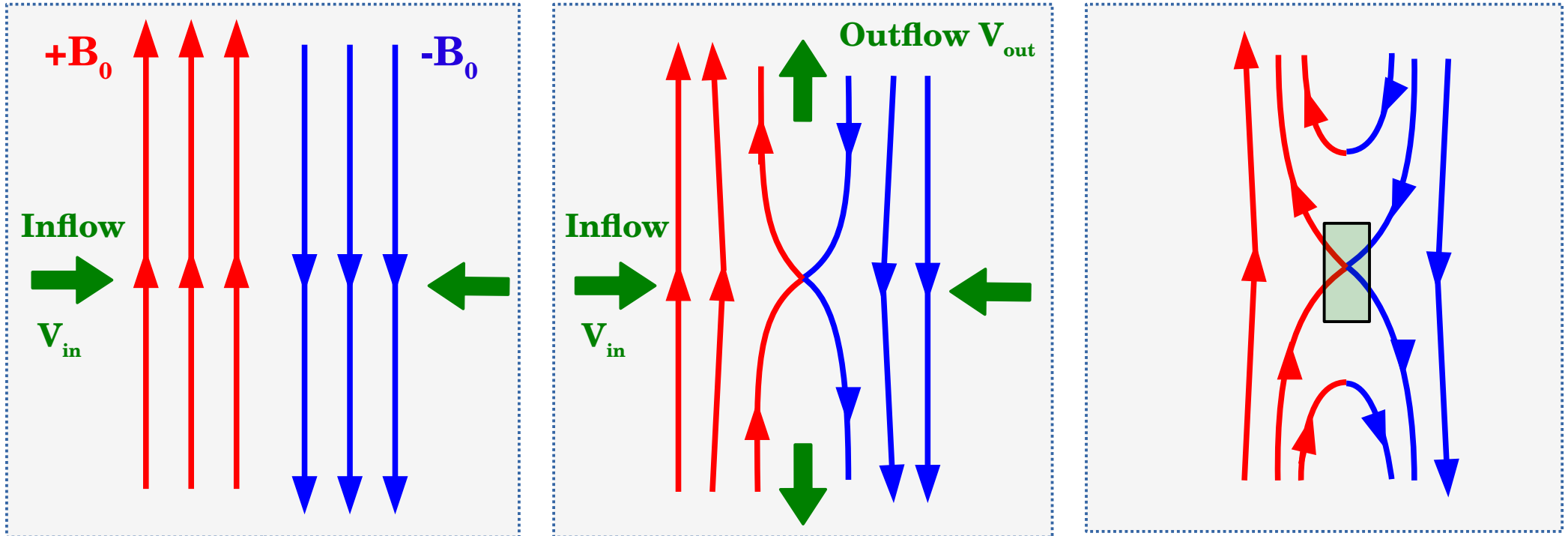
Reconnection : A change of magnetic topology

[See reviews by Zweibel & Yamada, 2009, Kagan et al. 2015]



Reconnection : A change of magnetic topology

[See reviews by Zweibel & Yamada, 2009, Kagan et al. 2015]



How fast does reconnection proceed?

$$\text{Reconnection rate: } \beta_{rec} = V_{in}/V_{out}$$

Magnetic energy \Rightarrow **Plasma kinetic energy** (heating+non-thermal particles)

Relativistic reconnection at work

$$\sigma = \frac{B_0^2}{4\pi n m c^2}$$

Relativistic reconnection: $\sigma > \sim 1$

Relativistic Alfvén speed $V_A = c \sqrt{\frac{\sigma}{1+\sigma}} \approx c$

Dissipation of magnetic energy => relativistic particles !

Relativistic reconnection at work

$$\sigma = \frac{B_0^2}{4\pi n m c^2}$$

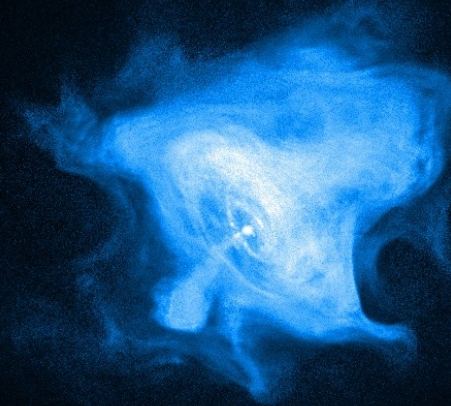
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Dissipation of magnetic energy => relativistic particles !

Possible astrophysical applications:

Pulsar Wind Nebulae



$\sigma \sim 0.1-1$

Relativistic reconnection at work

$$\sigma = \frac{B_0^2}{4\pi n m c^2}$$

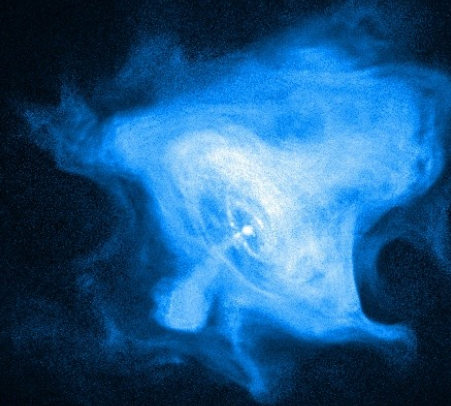
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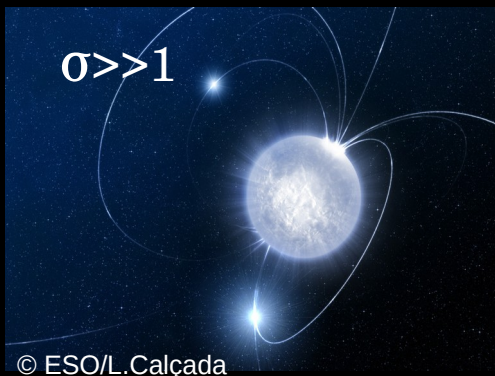
Possible astrophysical applications:

Pulsar Wind Nebulae

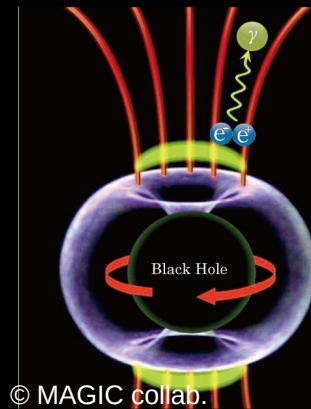


$\sigma \sim 0.1-1$

Pulsars, BH magnetospheres



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© MAGIC collab.

Relativistic reconnection at work

$$\sigma = \frac{B_0^2}{4\pi n m c^2}$$

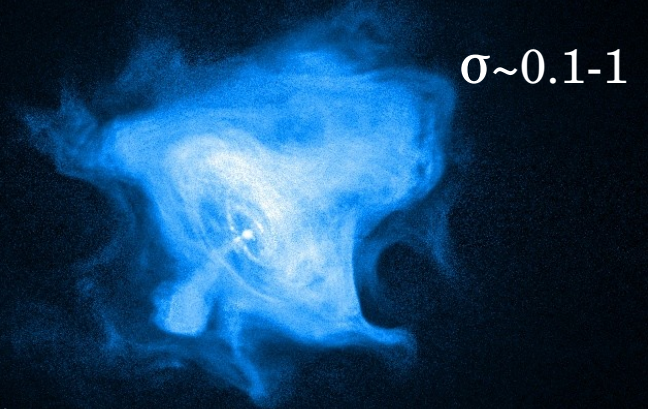
Relativistic reconnection: $\sigma > \sim 1$

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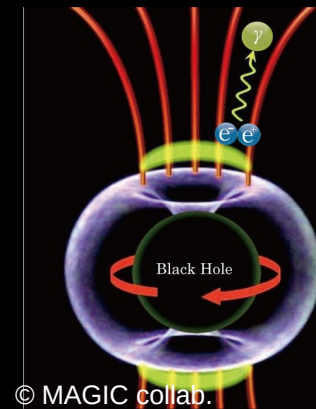
Dissipation of magnetic energy => relativistic particles !

Possible astrophysical applications:

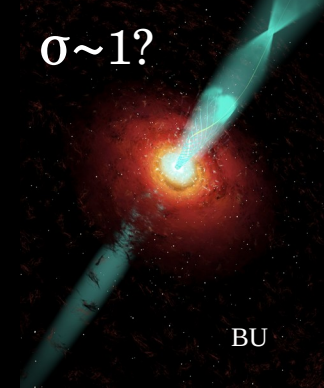
Pulsar Wind Nebulae



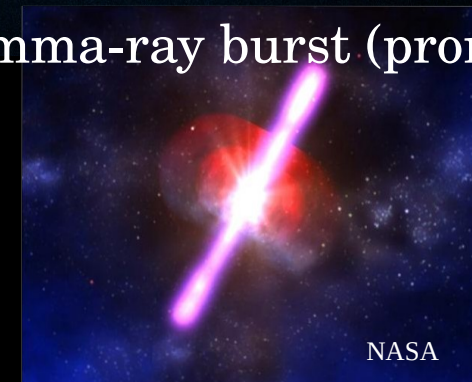
Pulsars, BH magnetospheres



Relativistic jets

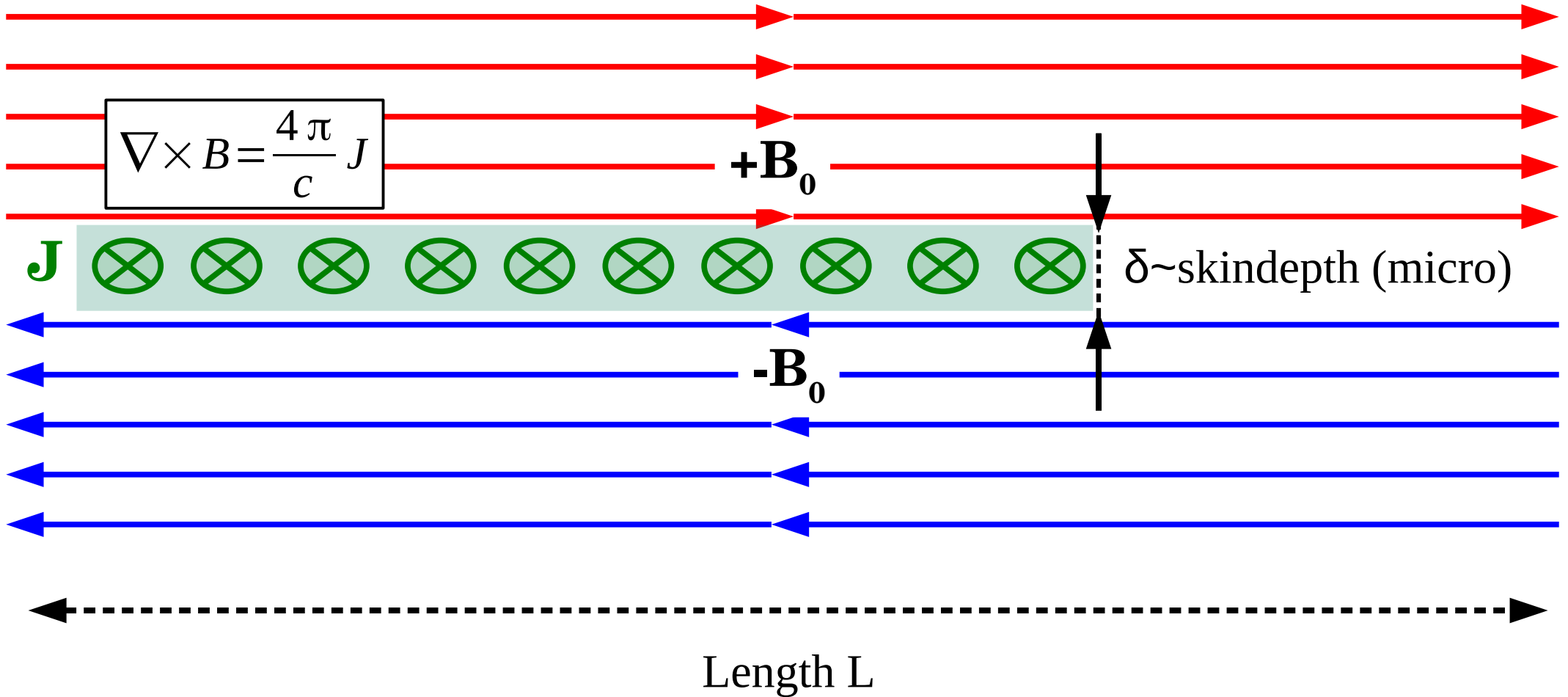


Gamma-ray burst (prompt?)



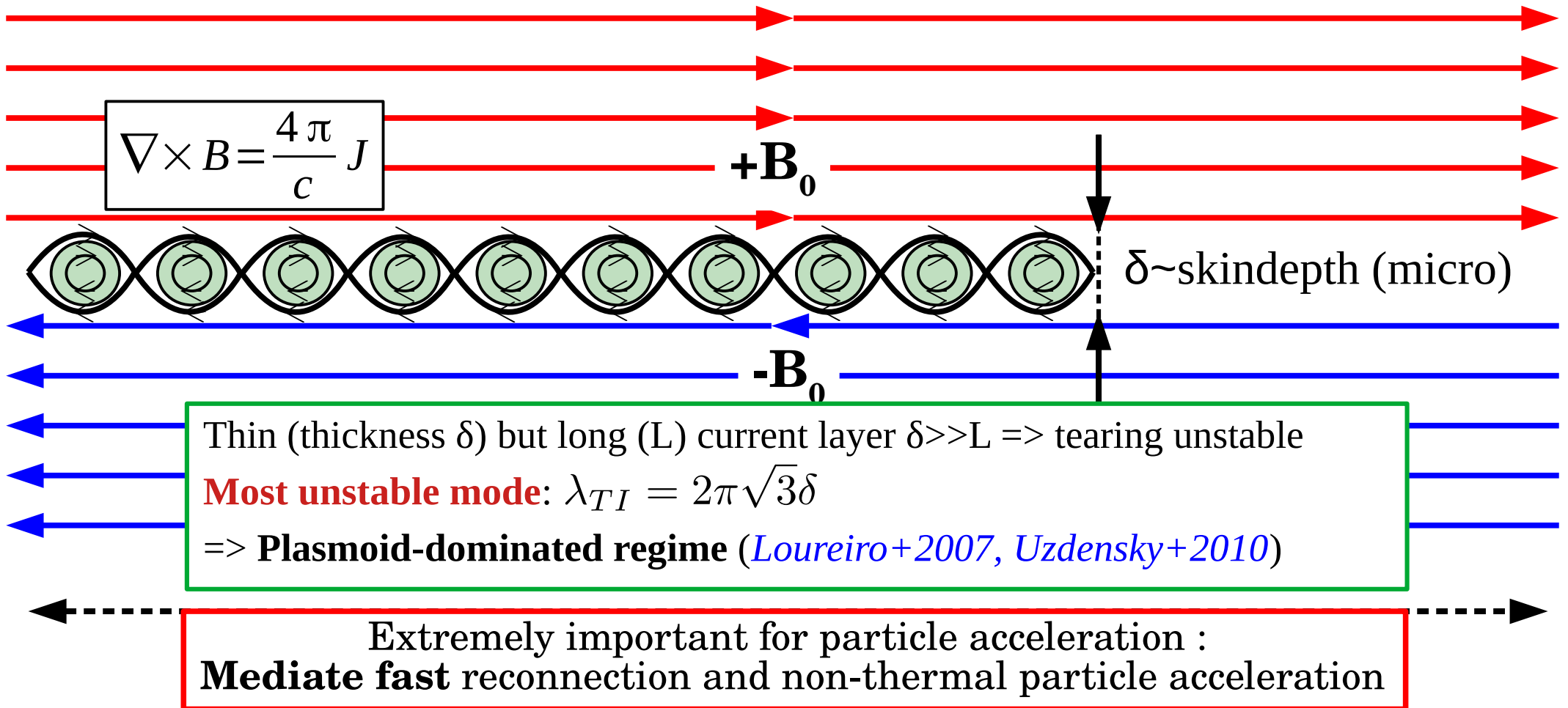
Collisionless reconnection layer

Coulomb collision frequency \ll Plasma frequency



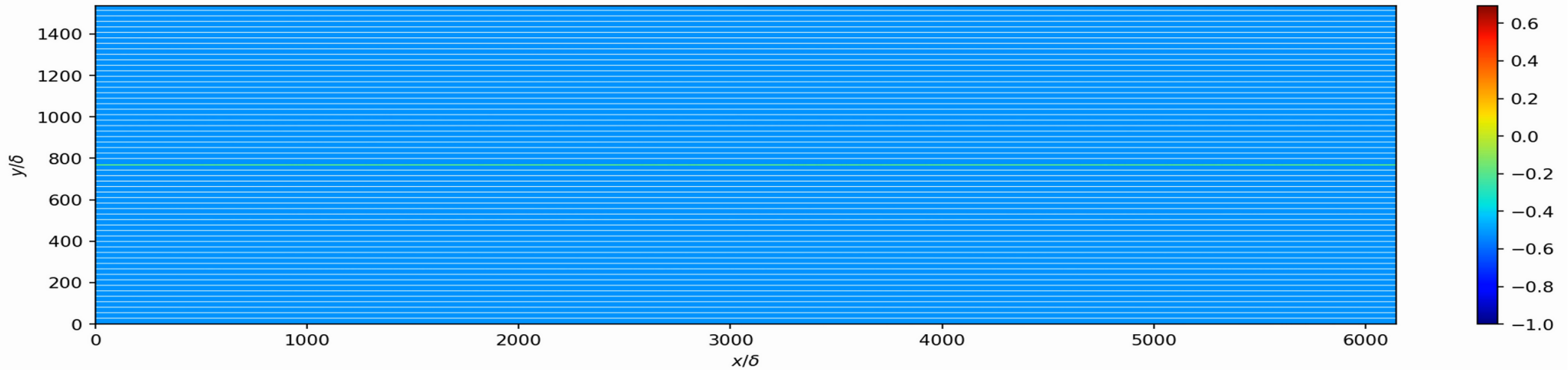
A long thin current sheet is tearing unstable

[Zelenyi & Krasnoselskikh 1979 ; Zenitani & Hoshino (2007) ; Pétri & Kirk 2007]



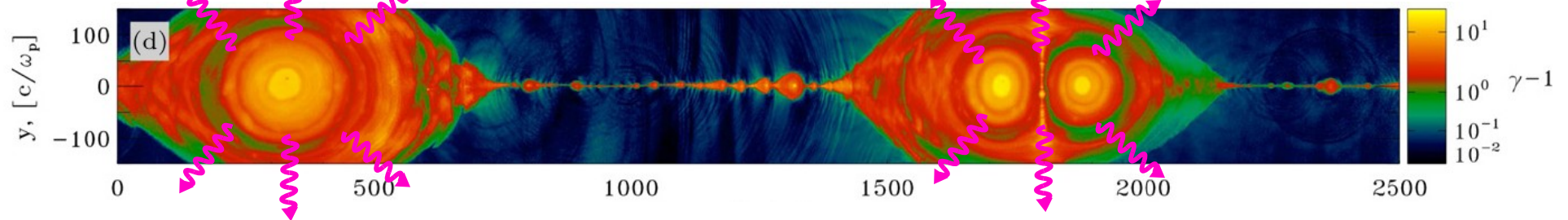
Reconnecting Harris layer (2D PIC simulation)

Inverse cascade : Hierarchical merging process



Plasmoid growth : Connecting the micro to macro scales ?

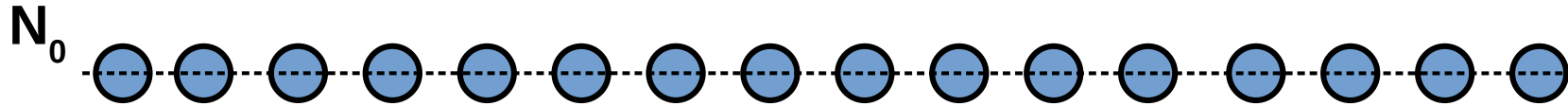
*e.g., Loureiro+2012 ; Sironi+2016 ;
Cerutti & Giacinti 2021*



Large plasmoids concentrate energetic particles => observational signature ?

Hierarchical merging model

Zhou+2019



Time

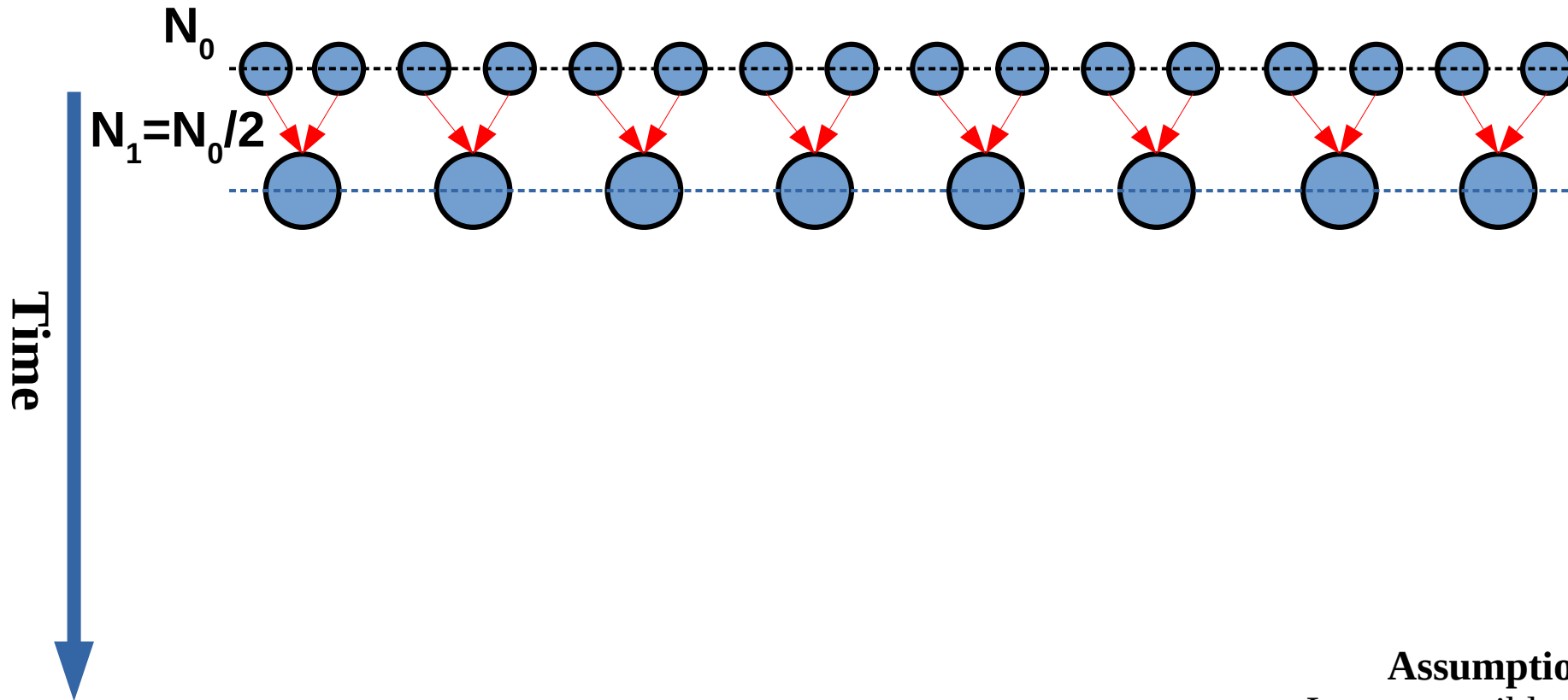


Assumptions:

- Incompressible
- Identical circular islands
- No secondary islands
- Constant reconnection rate

Hierarchical merging model

Zhou+2019

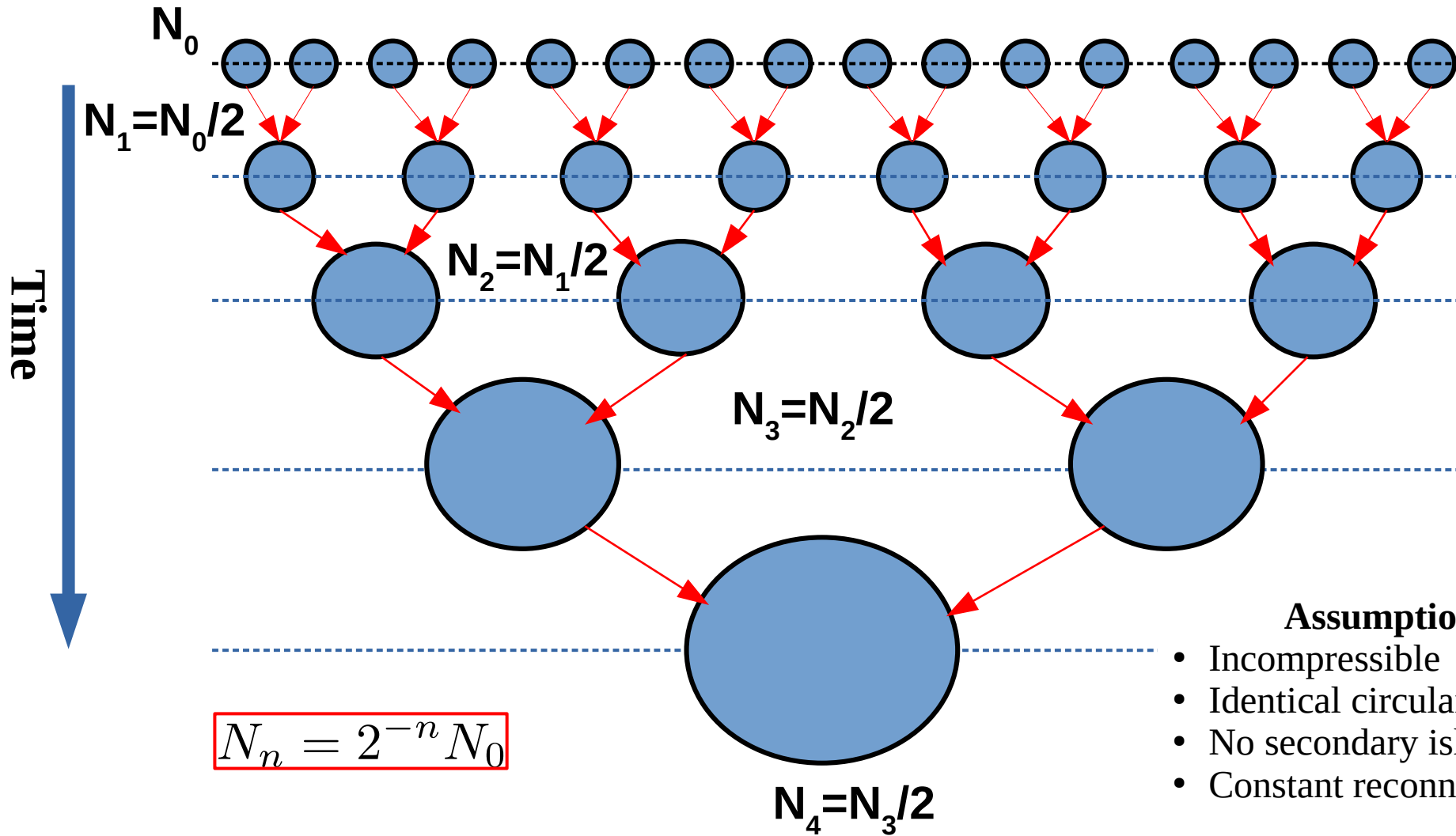


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Zhou+2019

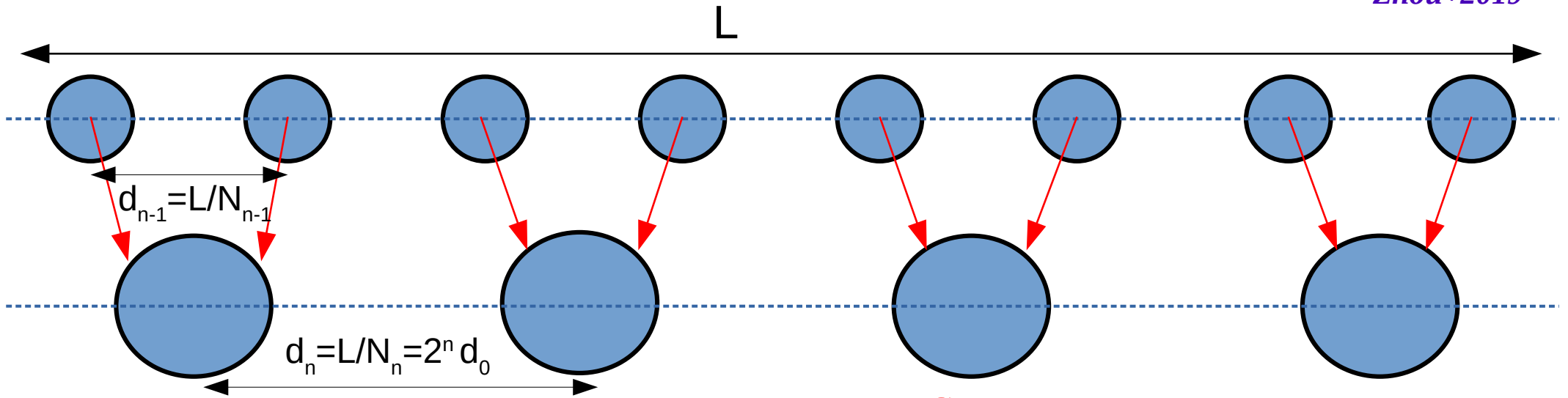


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Zhou+2019



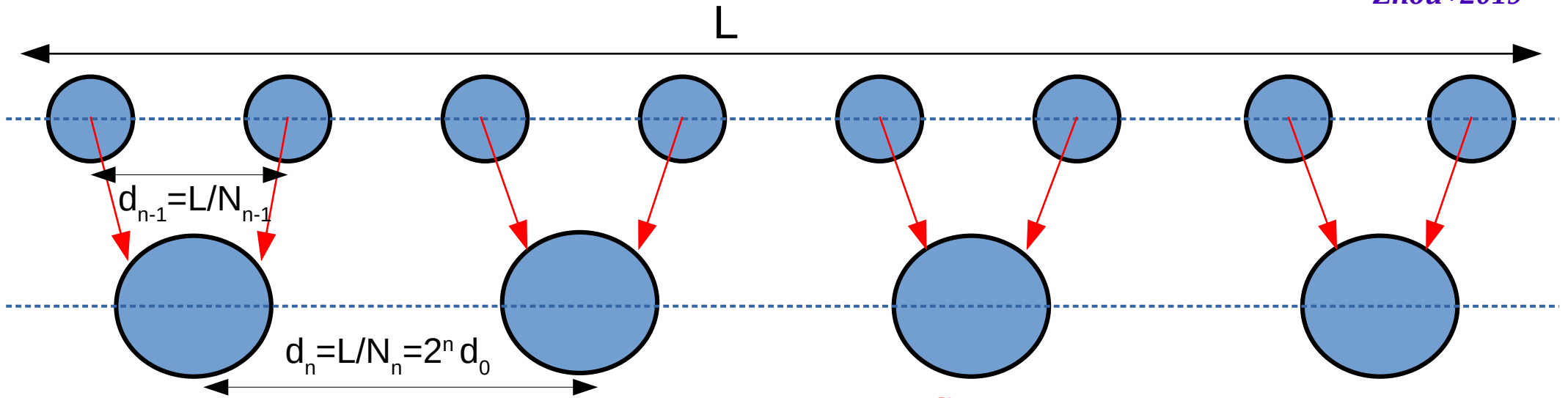
Time between **two mergers**:

$$\tau_n = d_n / \beta_{\text{rec}} c = 2^n d_0 / \beta_{\text{rec}} c = 2^n \tau_0$$

Reconnection rate
(assumed constant)

Hierarchical merging model

Zhou+2019



Time between **two mergers**:

$$\tau_n = d_n / \beta_{\text{rec}} \quad c = 2^n d_0 / \beta_{\text{rec}} \quad c = 2^n \tau_0$$

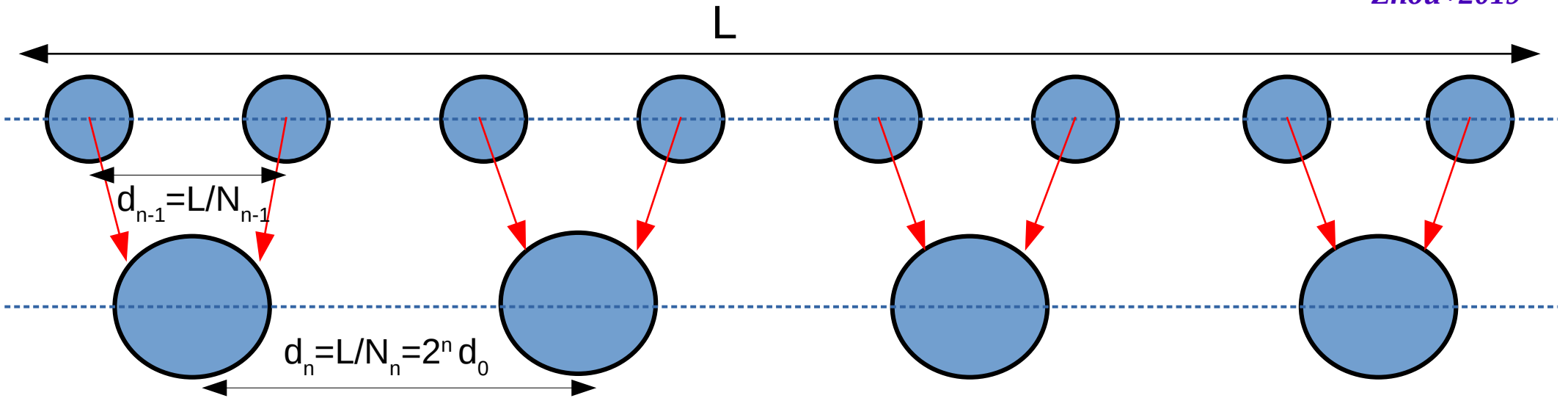
Reconnection rate
(assumed constant)

Total time to reach **generation n**:

$$t_n = \sum_{k=0}^{n-1} \tau_k = \tau_0 \sum_{k=0}^{n-1} 2^k = \tau_0 (2^n - 1)$$

Hierarchical merging model

Zhou+2019



Time between **two mergers**:

$$\tau_n = d_n / \beta_{\text{rec}} = 2^n d_0 / \beta_{\text{rec}} = 2^n \tau_0$$

Reconnection rate
(assumed constant)

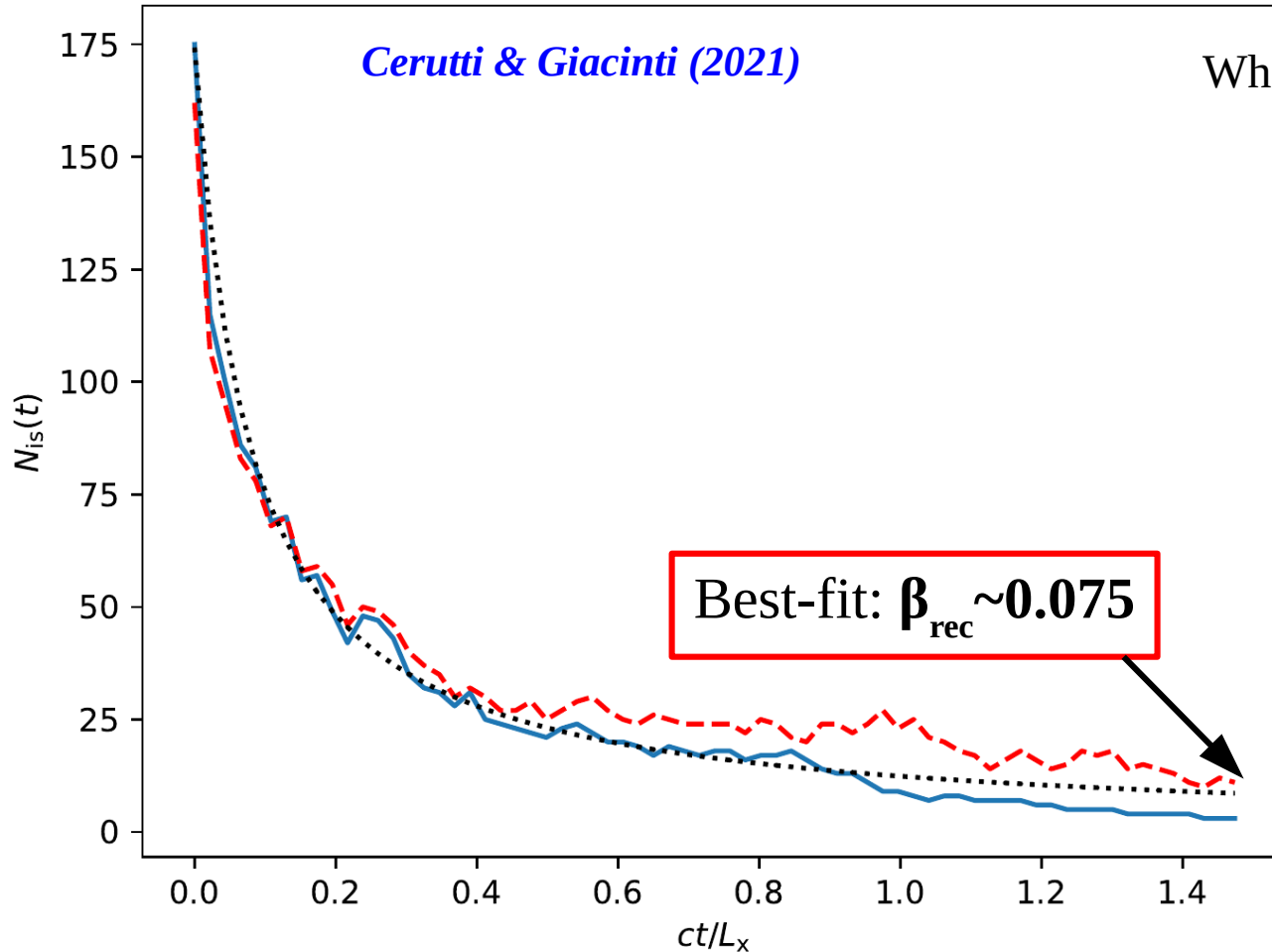
Total time to reach **generation n**:

$$t_n = \sum_{k=0}^{n-1} \tau_k = \tau_0 \sum_{k=0}^{n-1} 2^k = \tau_0 (2^n - 1)$$

$$N_n = 2^{-n} N_0$$

$$N(\tilde{t}) = \frac{N_0}{1 + \tilde{t}} \quad \tilde{t} = t/\tau_0$$

Putting the model to the test : Harris layer



What is the final number of giant plasmoids ?

$$N_{\text{is}}^{\text{f}} = \frac{N_0}{1 + t_{\text{esc}}/\tau_0}$$

Taking $t_{\text{esc}} \sim L/c \gg \tau_0$ gives :

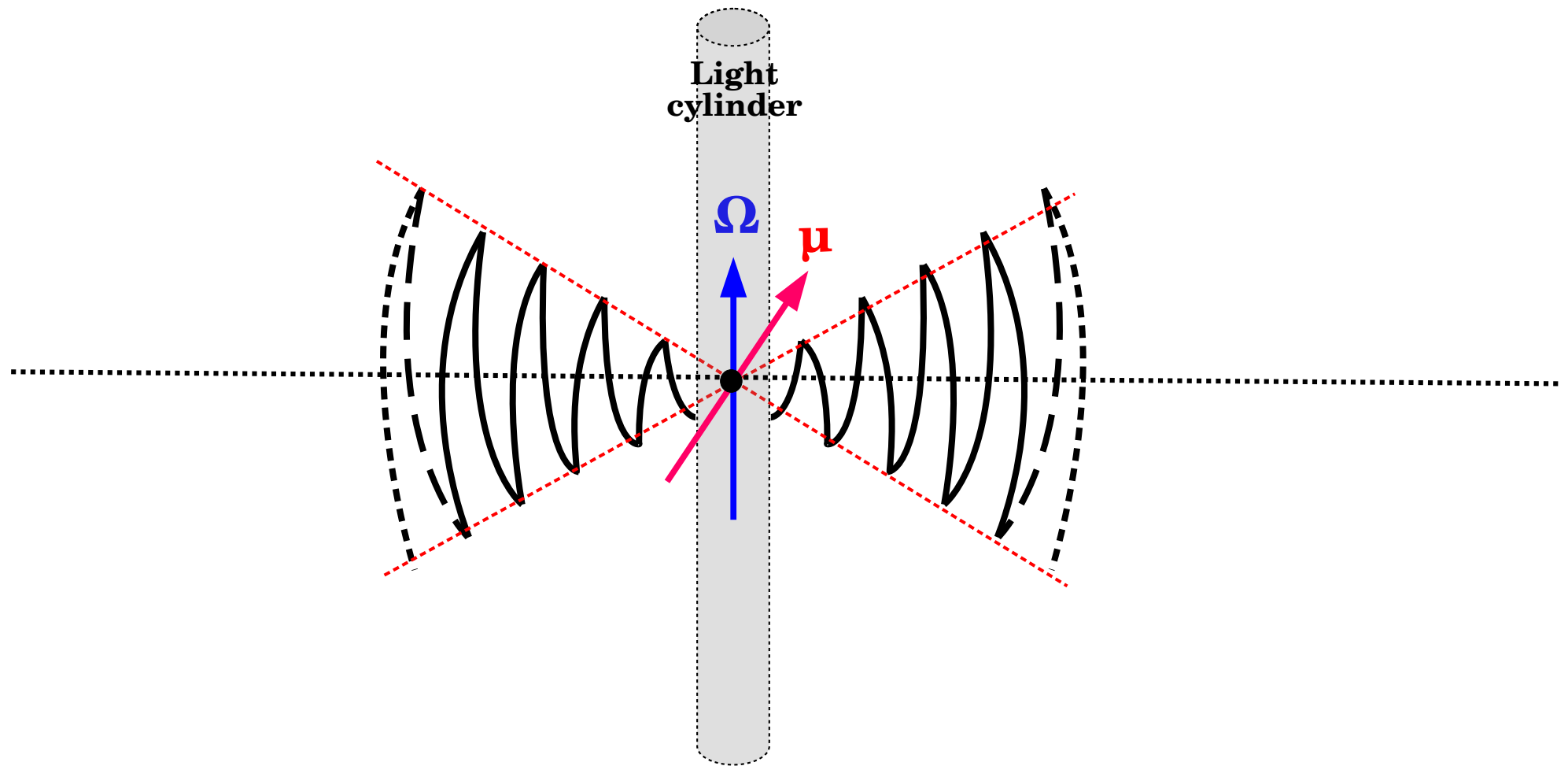
$$N_{\text{f}} \sim 1/\beta_{\text{rec}}$$

The reconnection rate is well constrained and is \sim **universal**

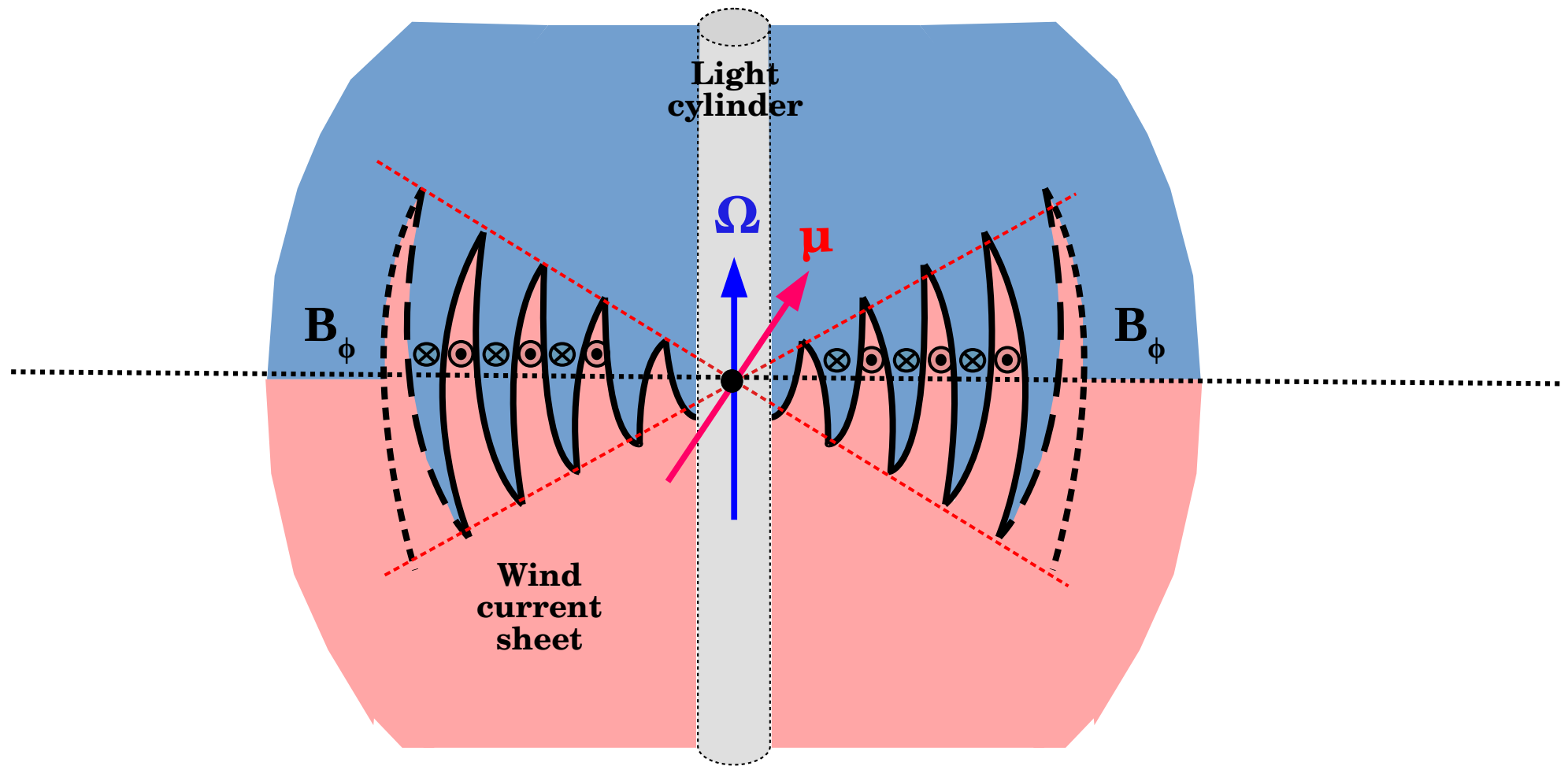
$$\beta_{\text{rec}} \sim 0.1$$

e.g., Werner et al. (2018)

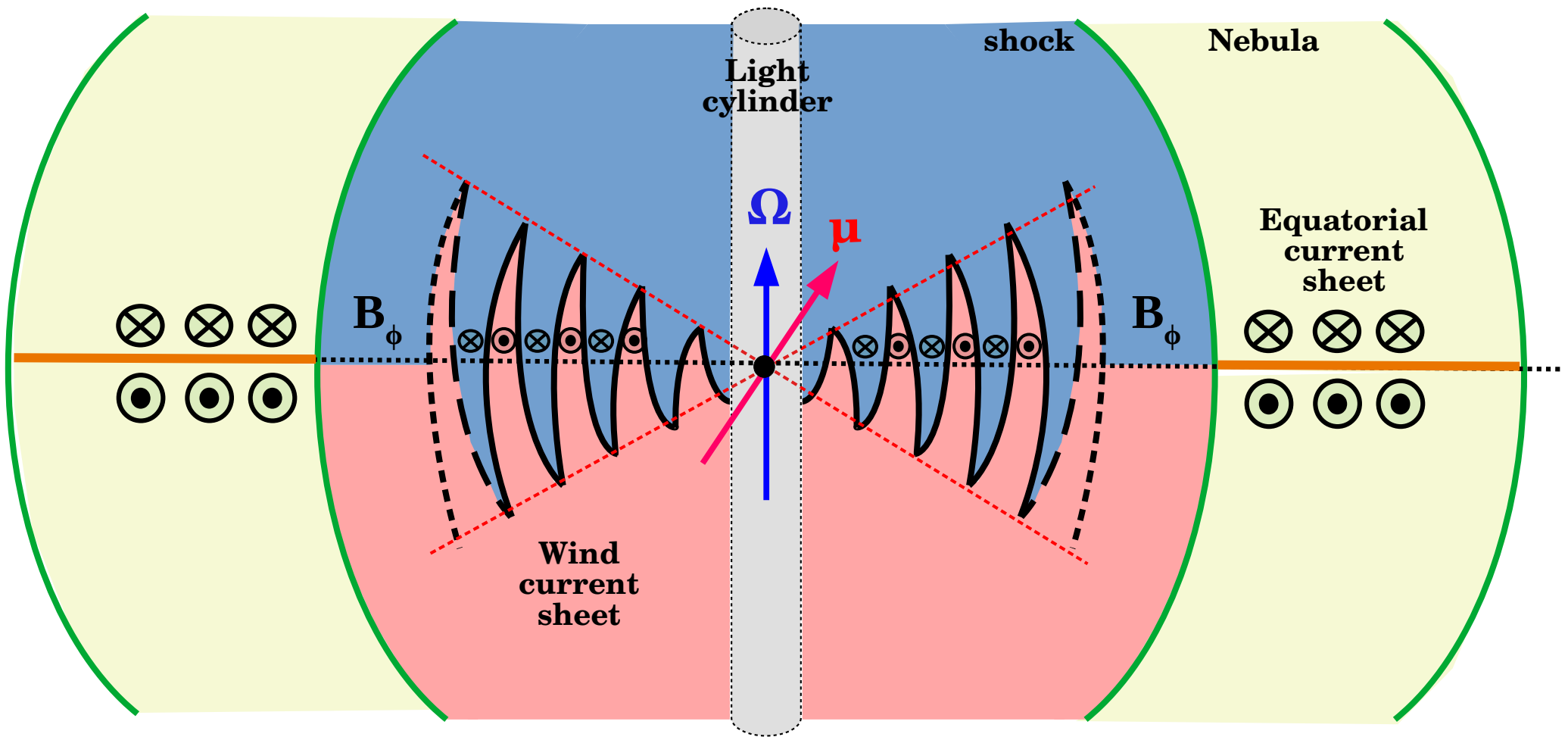
Large-scale currents sheets in pulsars



Large-scale currents sheets in pulsars



Large-scale currents sheets in pulsars



I. Pulsar wind current sheet



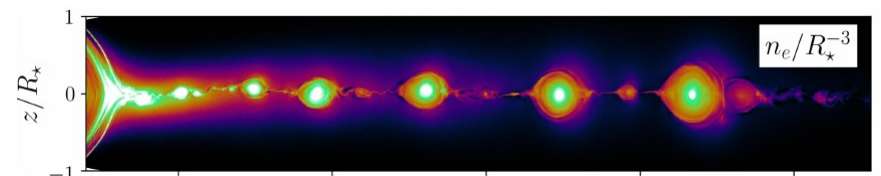
3D PIC simulations

← Wind current sheet

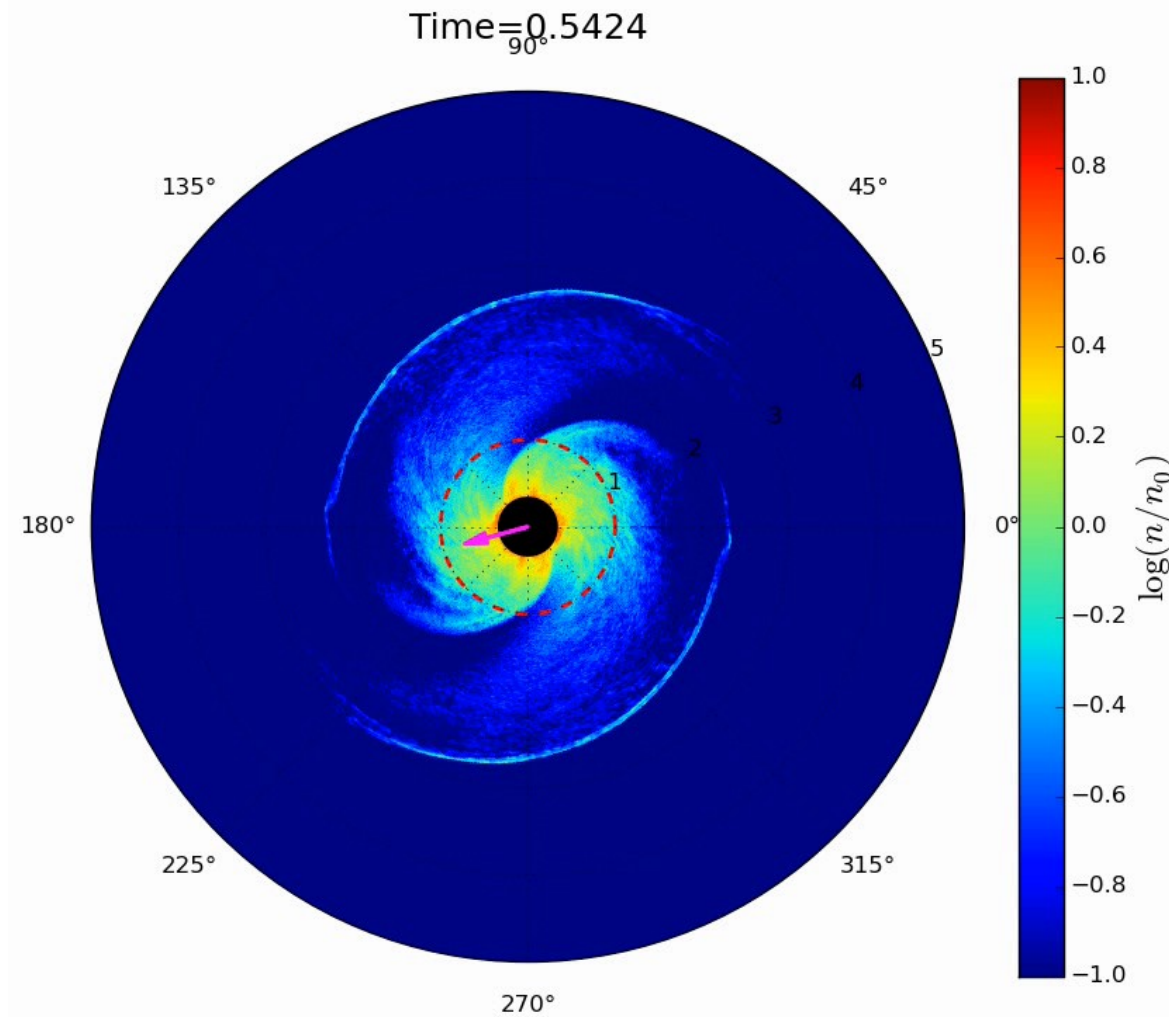
Tearing unstable !

*e.g., Cerutti & Philippov 2017
Cerutti et al. 2020*

Hu & Beloborodov 2022



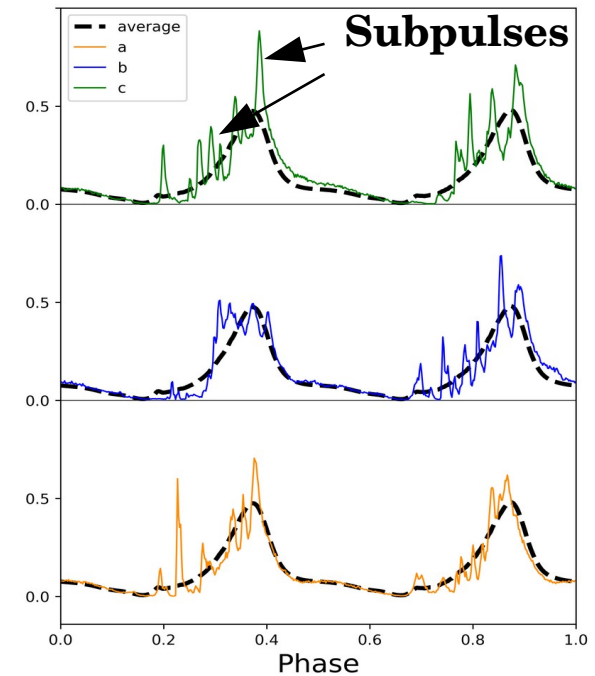
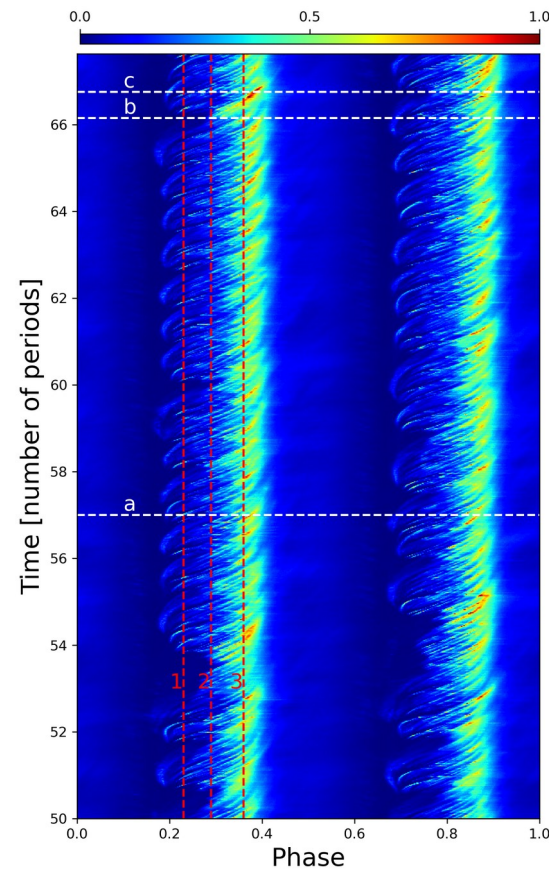
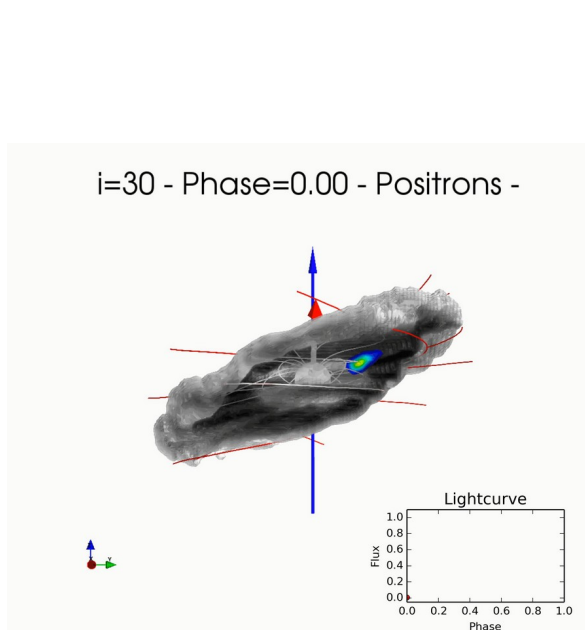
Equatorial cut



*Cerutti & Philippov
(2017); Andaç et al.
(2022)*

Subpulses induced by plasmoid formation

High-energy pulsed emission from the current sheet

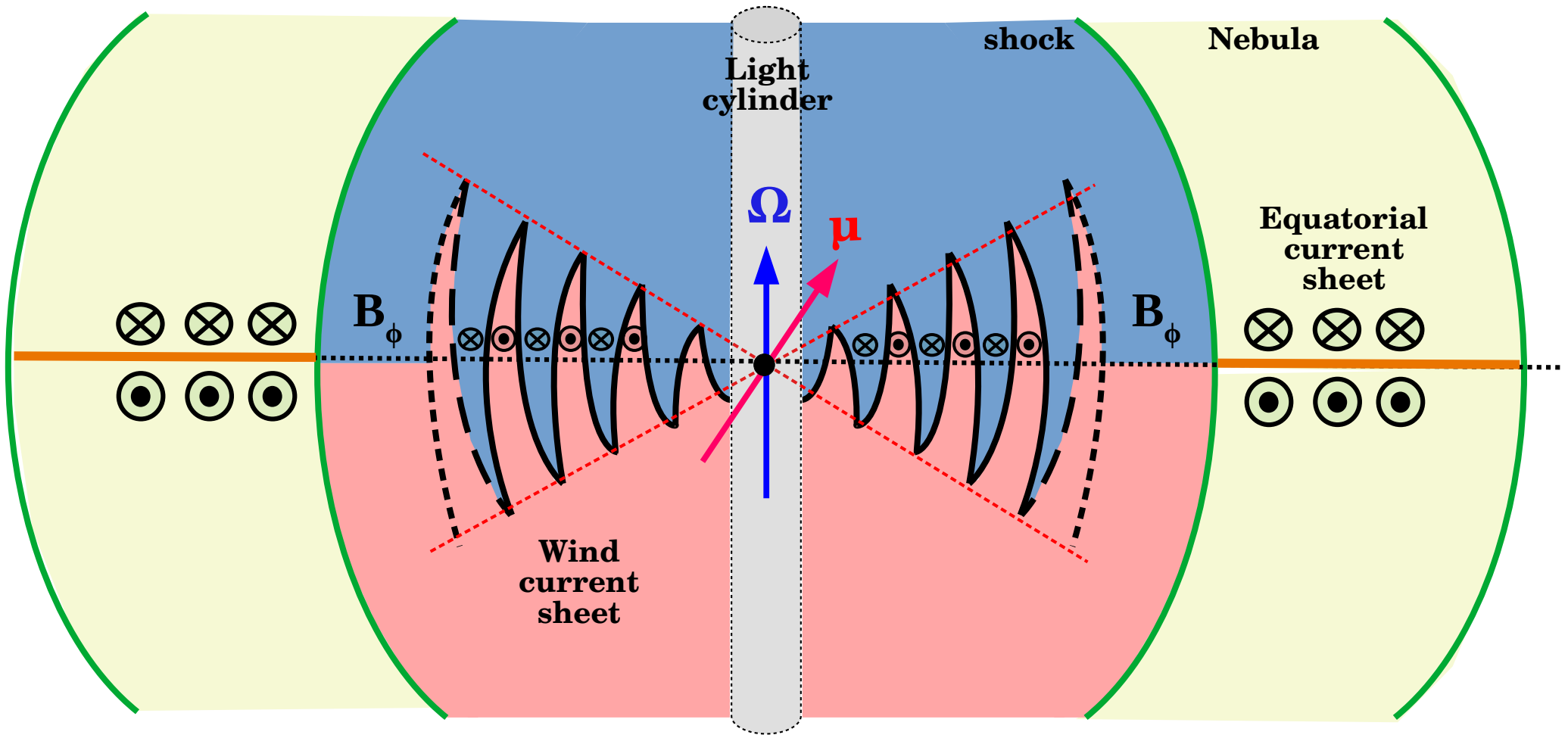


e.g., Lyubarskii (1996)
Cerutti et al. (2016)
Philippov & Spitkovsky 2018

- Noise on the leading edge
- Number subpulse per pulse $1/\beta_{\text{rec}} \sim 10$
=> prediction for fast optical observations?

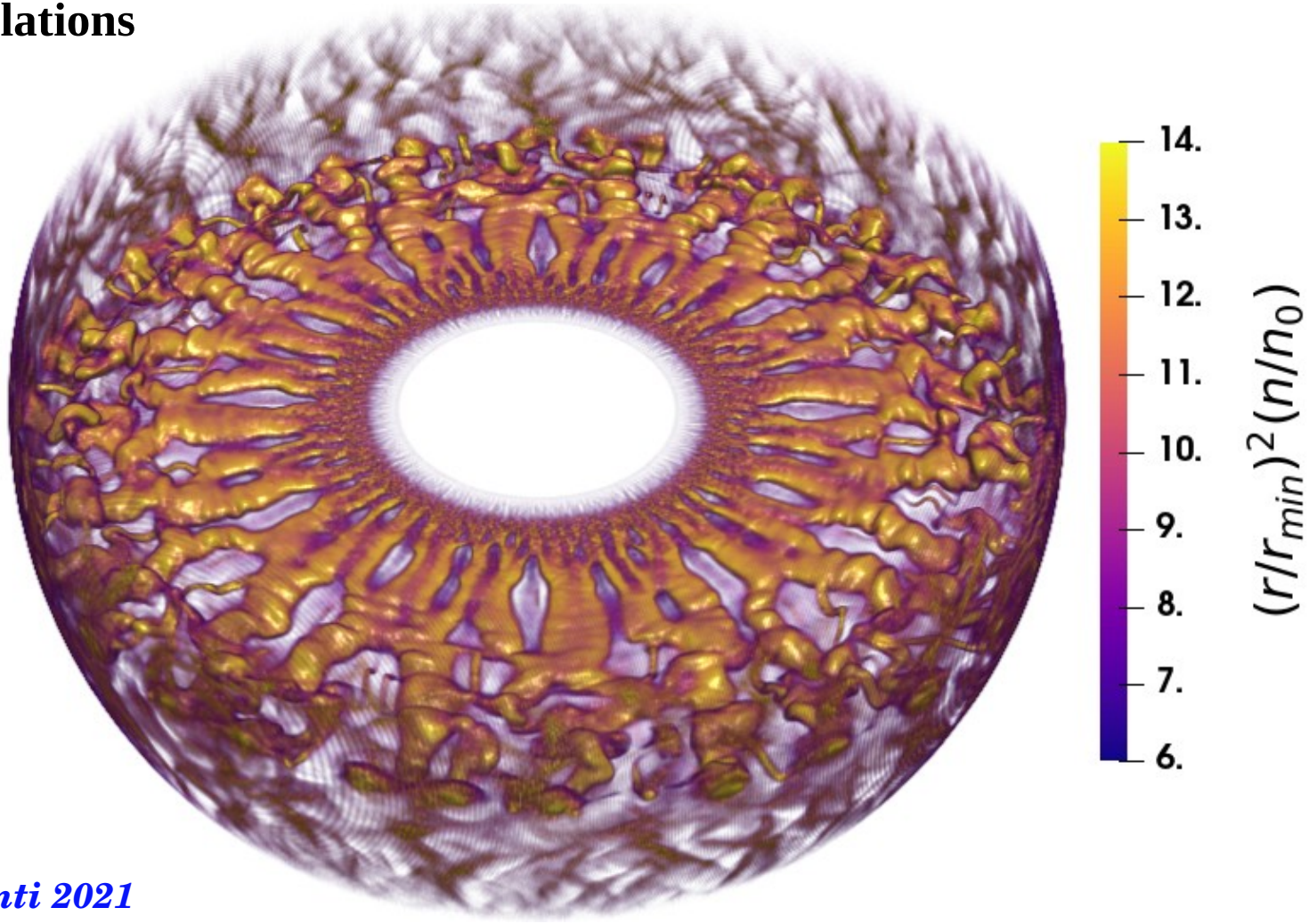
Andaç et al. 2022

Large-scale currents sheets in pulsars



II. Pulsar wind nebula current sheet

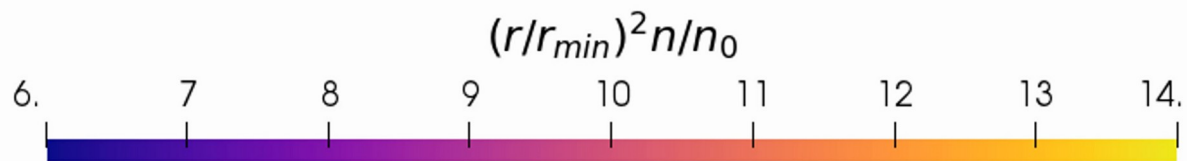
3D PIC simulations



Cerutti & Giacinti 2021

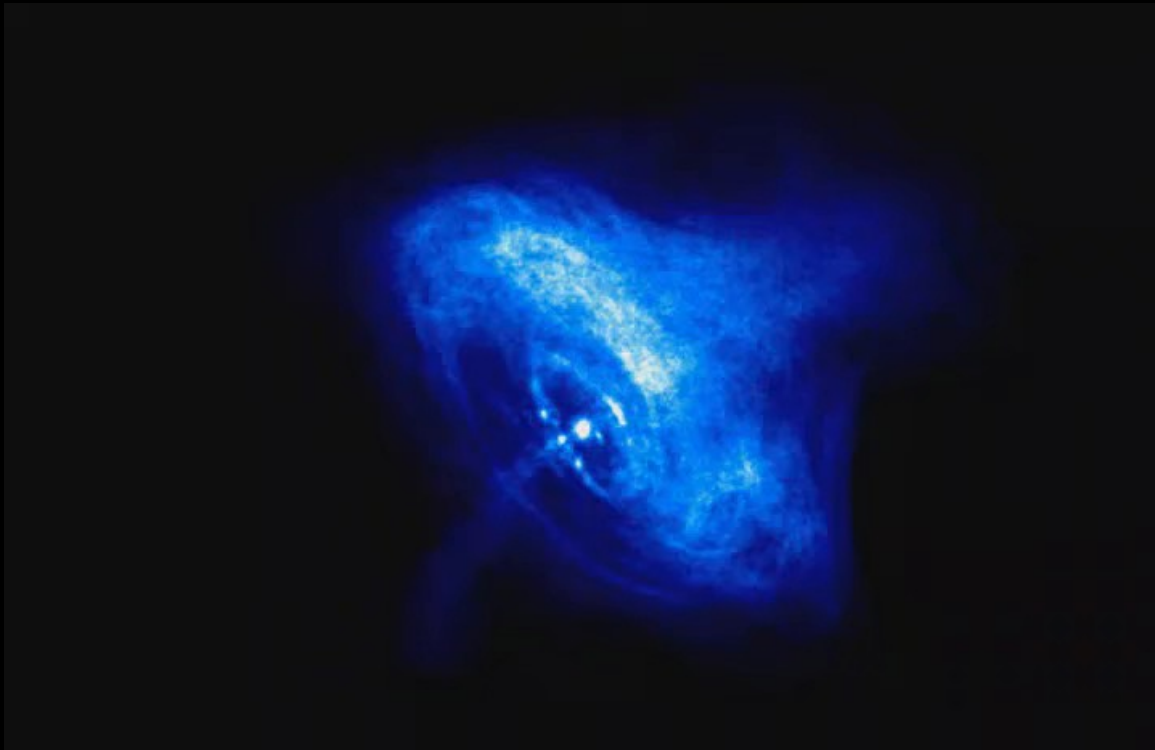
Plasma density evolution

$$ct/r_{min} = 0.00$$



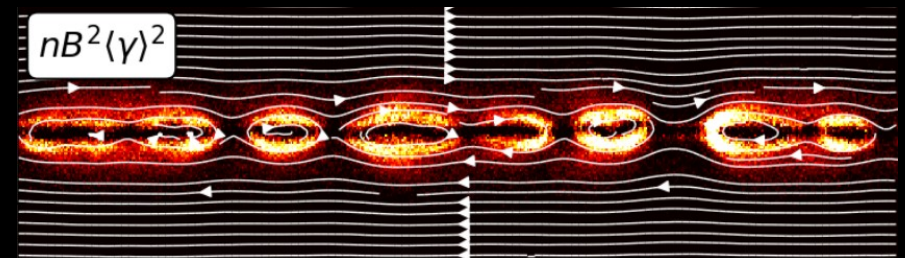
Origin of the Crab Nebula inner ring knots ?

Final number of islands : $N_f \approx \pi \beta_{\text{rec}}^{-1} \approx 30 \beta_{\text{rec},0.1}^{-1} \text{ islands}$

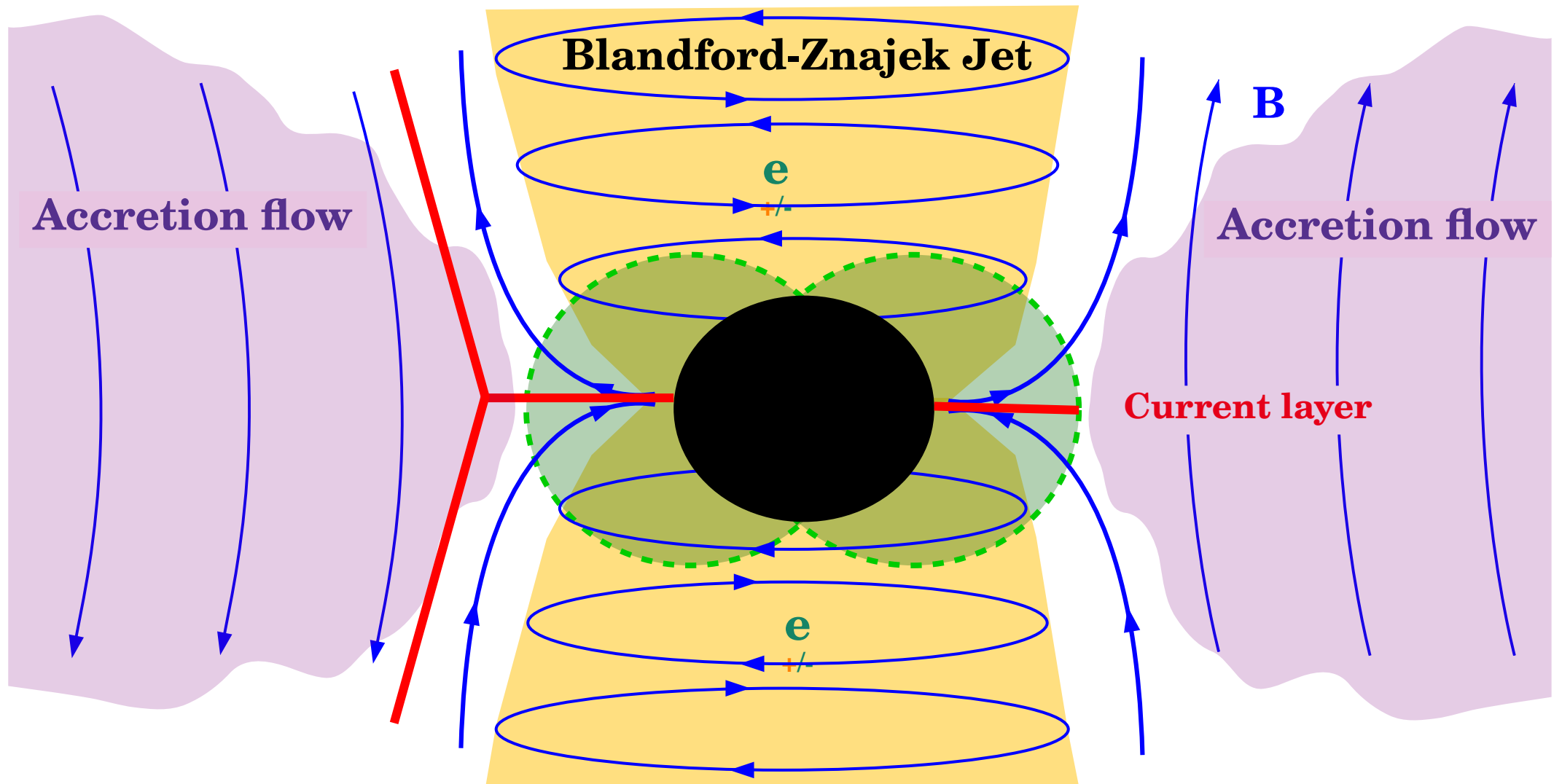


« The X-ray ring itself is composed of roughly two dozen knots that are highly variable but roughly stationary »
[Hester 2008]

Simulated synchrotron power



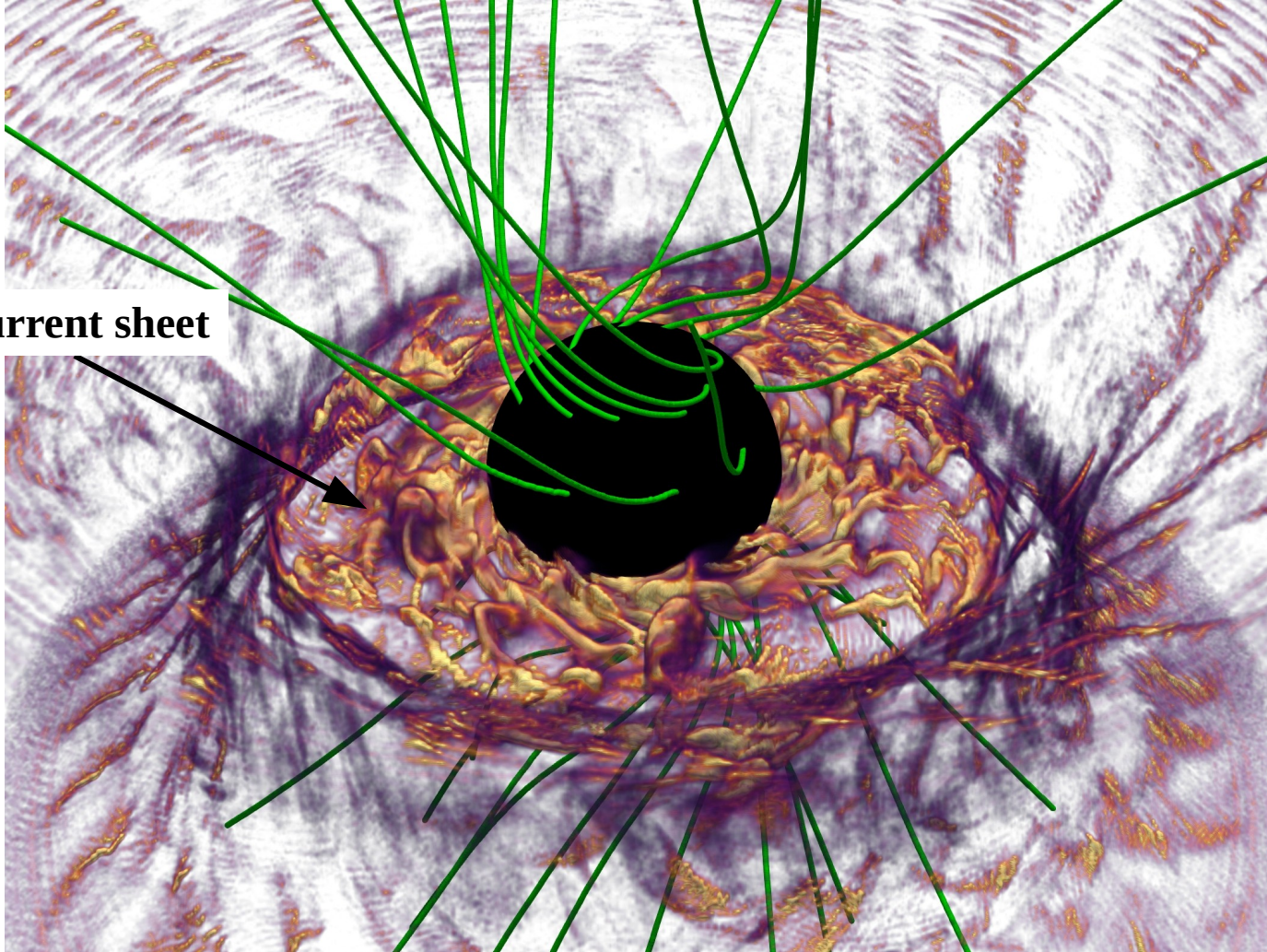
III. Kerr black hole magnetospheres



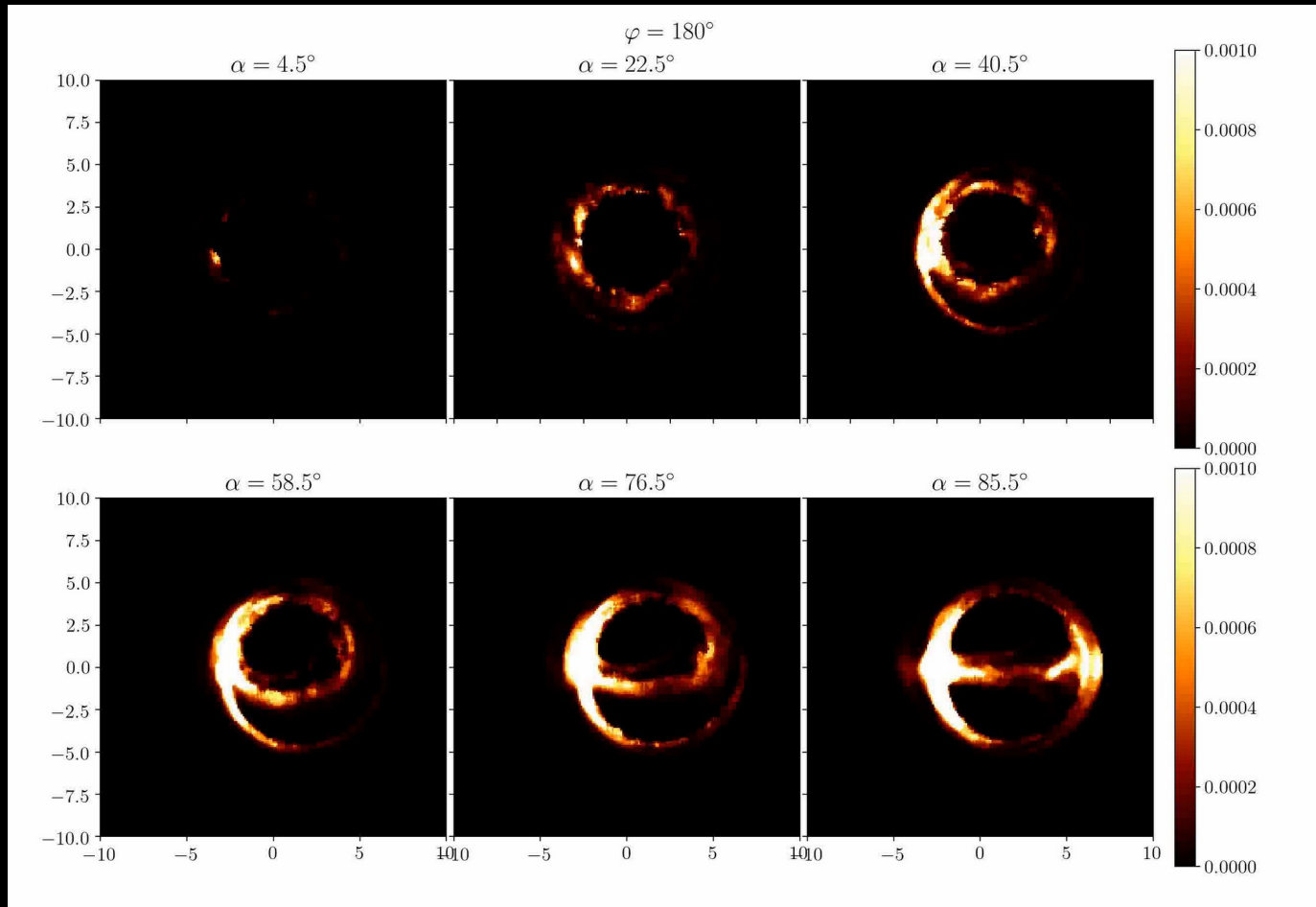
3D GRPIC simulations

3D GRPIC simulations

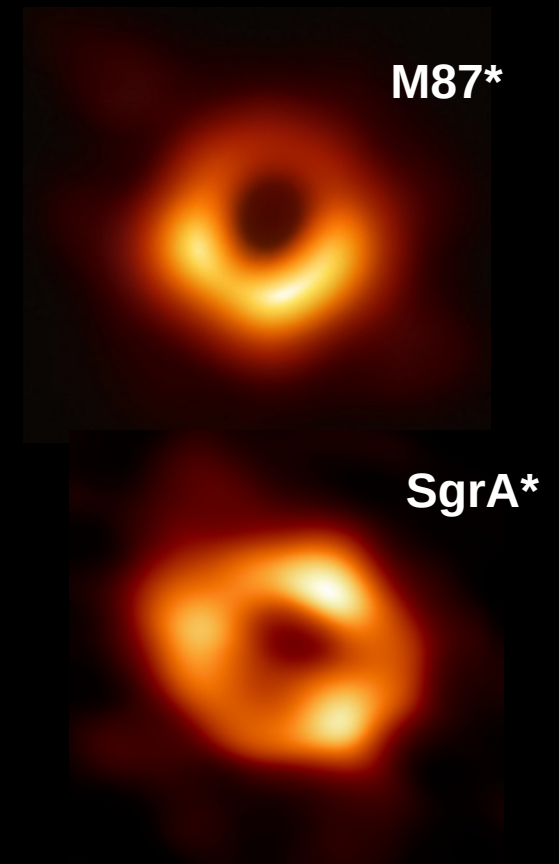
Ergospheric current sheet



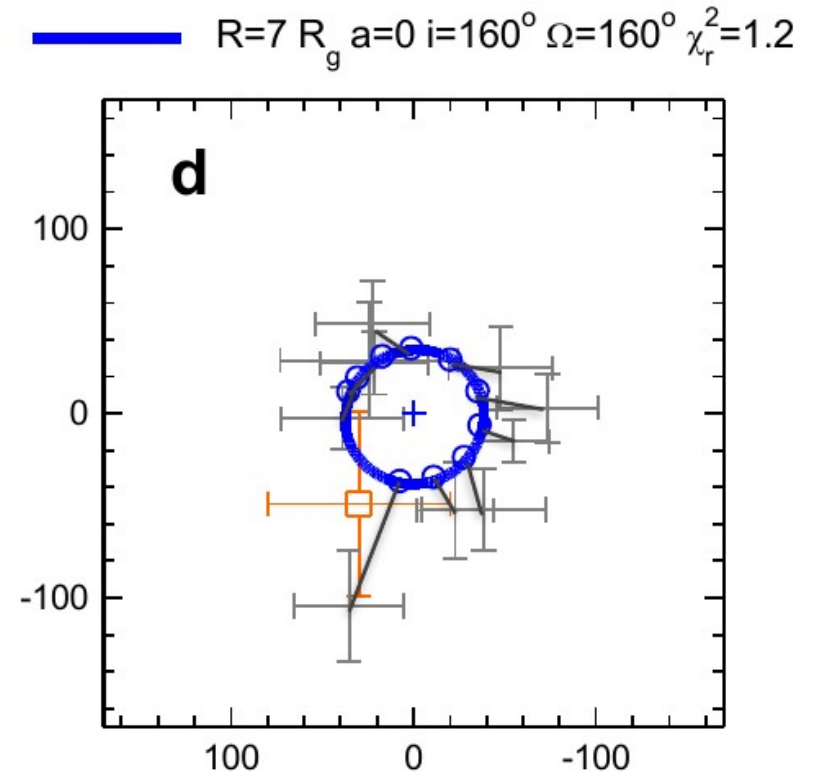
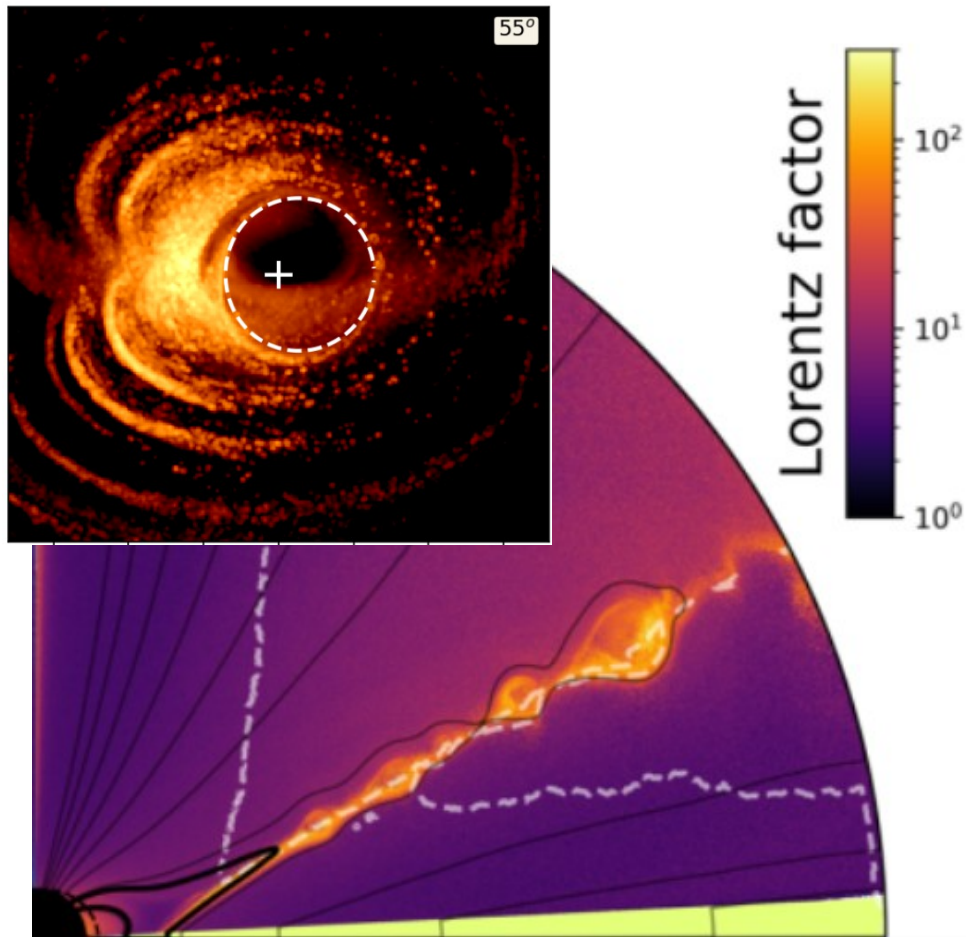
Spinning horizon-scale features : hot spots



Prediction for future EHT observations ?



Black hole coronal heating, SgrA* flare & hot spot ?



El Mellah et al. (2022)

*Gravity collaboration (2018)
Aimar et al. 2022*

Summary

- Relativistic reconnection is **fast** and **accelerates** particles
 - Plasmoid formation & hierarchical merging process connects **micro** to **macro scales**
 - **Giant plasmoids may be observables** where large-scale current sheets form :
e.g., pulsars, pulsar wind nebulae, black hole magnetospheres
- => Reconnection smoking gun ?

